

# Towards Using Code Coverage Metrics for Performance Comparison on the Implementation Level

Mathias Menninghaus and Elke Pulvermüller

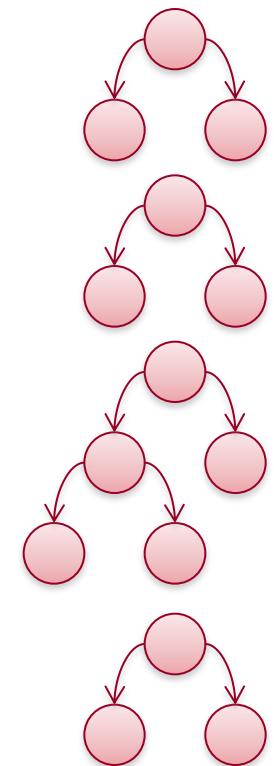
# Motivation

- Compare complex data structures and algorithms on the implementation level
- Either no benchmark or test set available or
- Consider problems with benchmarks:
  - Implementation may be biased to perform in a certain benchmark
  - Benchmark may not uncover best and worst cases of an implementation

# Simple Example

```
public int max(int a, int b)
```

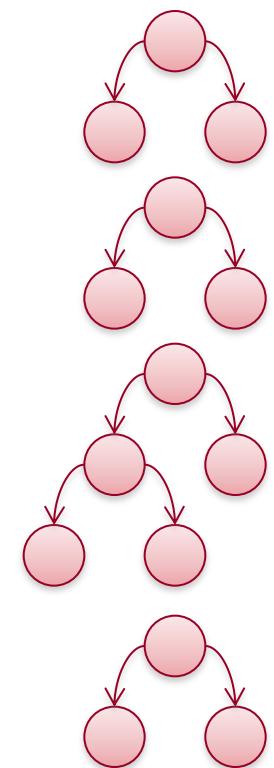
- A    int c = a - b;  
      return c < 0 ? b : a;
  
- B    int c = b - a;  
      return c < 0 ? a : b;
  
- C    if (a == b) {  
          return a;  
    } else {  
        return a < b ? b : a;  
    }
  
- D    return a < b ? b : a;



# Simple Example

Generate test cases with maximized (basic block) coverage

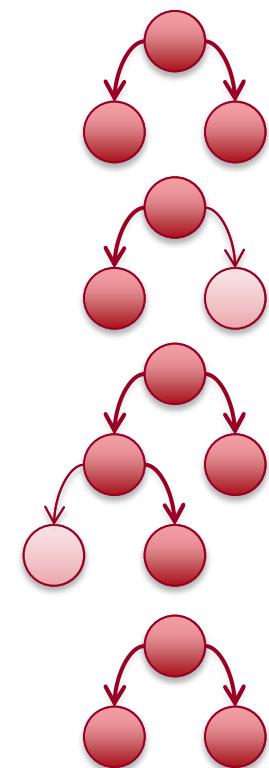
A	<pre>int c = a - b; return c &lt; 0 ? b : a;</pre>	$\max(0, 0)$ $\max(0, 1)$
B	<pre>int c = b - a; return c &lt; 0 ? a : b;</pre>	$\max(0, 0)$ $\max(1, 0)$
C	<pre>if (a == b) {     return a; } else {     return a &lt; b ? b : a; }</pre>	$\max(0, 0)$ $\max(0, 1)$ $\max(1, 0)$
D	<pre>return a &lt; b ? b : a;</pre>	$\max(0, 0)$ $\max(0, 1)$



# Simple Example

Perform each test set on each implementation (e.g. variant A)

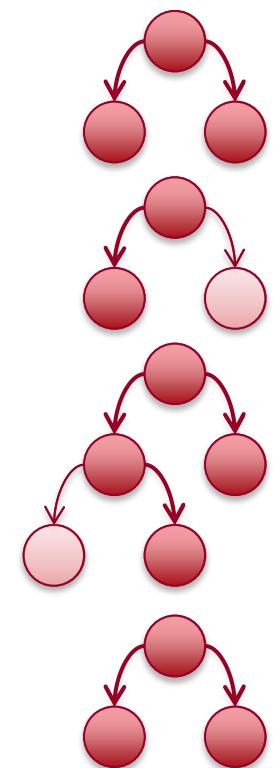
A	<pre>int c = a - b; return c &lt; 0 ? b : a;</pre>	$\max(0, 0)$ $\max(0, 1)$
B	<pre>int c = b - a; return c &lt; 0 ? a : b;</pre>	$\max(0, 0)$ $\max(1, 0)$
C	<pre>if (a == b) {     return a; } else {     return a &lt; b ? b : a; }</pre>	$\max(0, 0)$ $\max(0, 1)$ $\max(1, 0)$
D	<pre>return a &lt; b ? b : a;</pre>	$\max(0, 0)$ $\max(0, 1)$



# Simple Example

Compute performance for each test set on each implementation (A)

A	<pre>int c = a - b; return c &lt; 0 ? b : a;</pre>	$\max(0, 0)$	5
B	<pre>int c = b - a; return c &lt; 0 ? a : b;</pre>	$\max(0, 0)$	5
C	<pre>if (a == b) {     return a; } else {     return a &lt; b ? b : a; }</pre>	$\max(0, 0)$ $\max(0, 1)$ $\max(1, 0)$	3 5
D	<pre>return a &lt; b ? b : a;</pre>	$\max(0, 0)$ $\max(0, 1)$	3 3



# Method

- Combined coverage
  - favor implementations which cover the test sets of the other implementations
  - punish implementations which only cover one test set
- Weighted Performance
  - weight performance by the coverage
  - treat every test case equally

$$c_i = \left( \prod_{j=1}^n (cov_{ij}) \right)^{\frac{1}{n}}$$

$$p_i = \left( \sum_{j=1}^n \frac{p_{ij}}{(cov_{ij})^k} \right) / n$$

# Simple Example - Results

Implementation	Combined coverage	Weighted performance
A	0.81	6.56
B	0.66	8.12
C	0.71	5.77
D	0.81	3.93

- C has a good performance but covers less of the other implementations
- D has the best performance and the best coverage

# Conclusion

- If no suitable benchmark or test set exists
- Instead of guessing the correct evaluation setup
- Create workloads based on the implementation of each competitor
- Automatically find test inputs with best and worst case performance
- Treat every test case in the same way

# Future Work

- Framework tested for simple algorithms (min/max, sorting)
- Expand on complex data structures (high-dimensional spatio-temporal indices)
- Test case generation by evolutionary algorithms
- Compare to existing benchmarks